

Observations and modeling of magnetic reconnection in the solar atmosphere

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Magnetic reconnection in astrophysics

Uzdensky (2006, astro-ph/0607656)

... the most important reconnection mechanism in Astrophysics invokes waves, a certain type of waves, in fact. Called handwaves (See Fig 1).



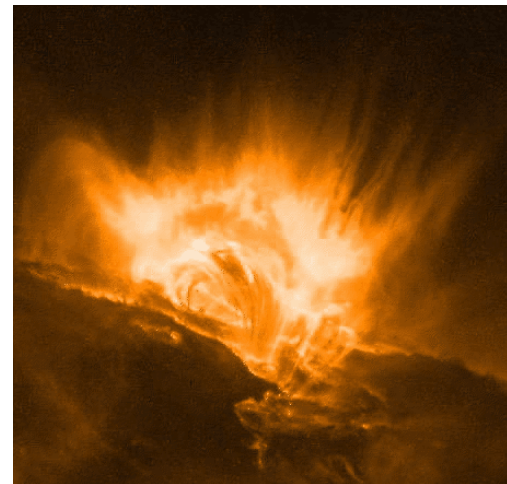
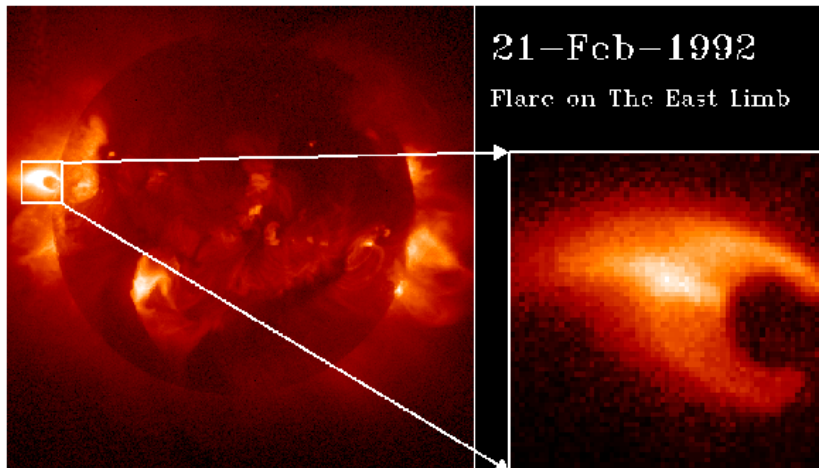
Fig. 1.— Main Reconnection Mechanism in Astrophysics.

The mechanism works like this: *Well, we know that fast reconnection happens in the Solar corona, and in the Earth magnetosphere. So it should also happen in OUR astrophysical system.*

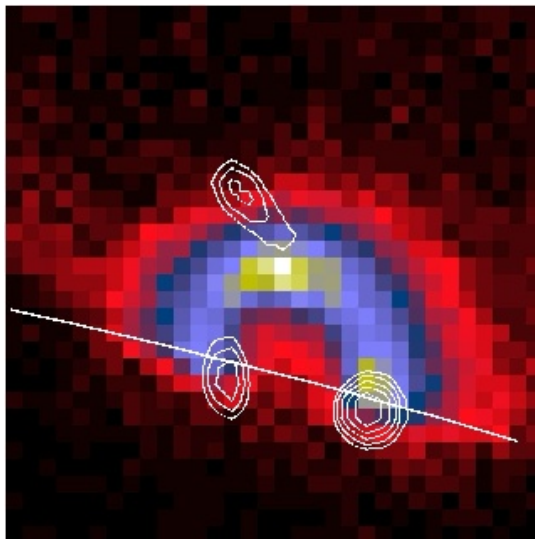
- Reconnection in the corona
- Reconnection in the lower atmosphere

Observational evidence for magnetic reconnection in the corona (before Hinode/SDO)

Cusp (Tsuneta+92)

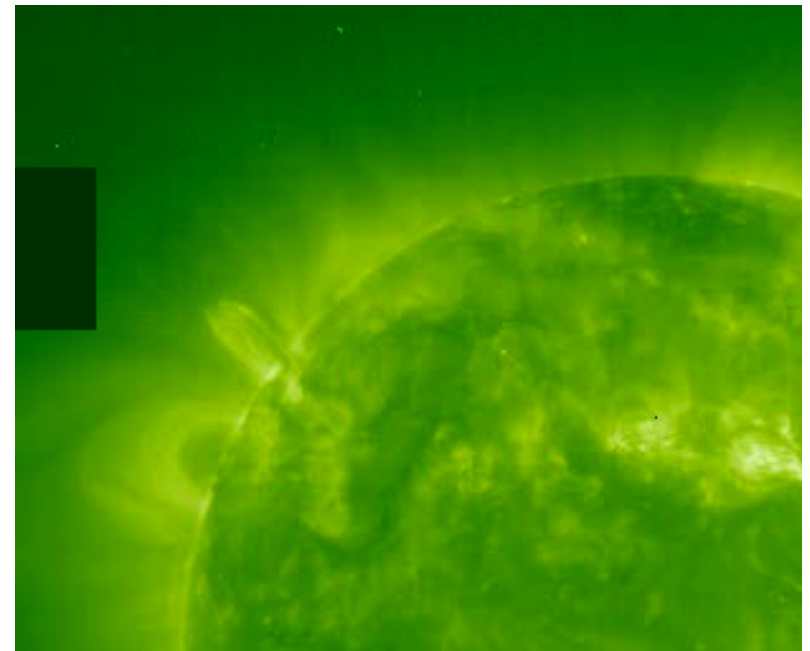


Supra-arcade downflow
(McKenzie Hudson 99)

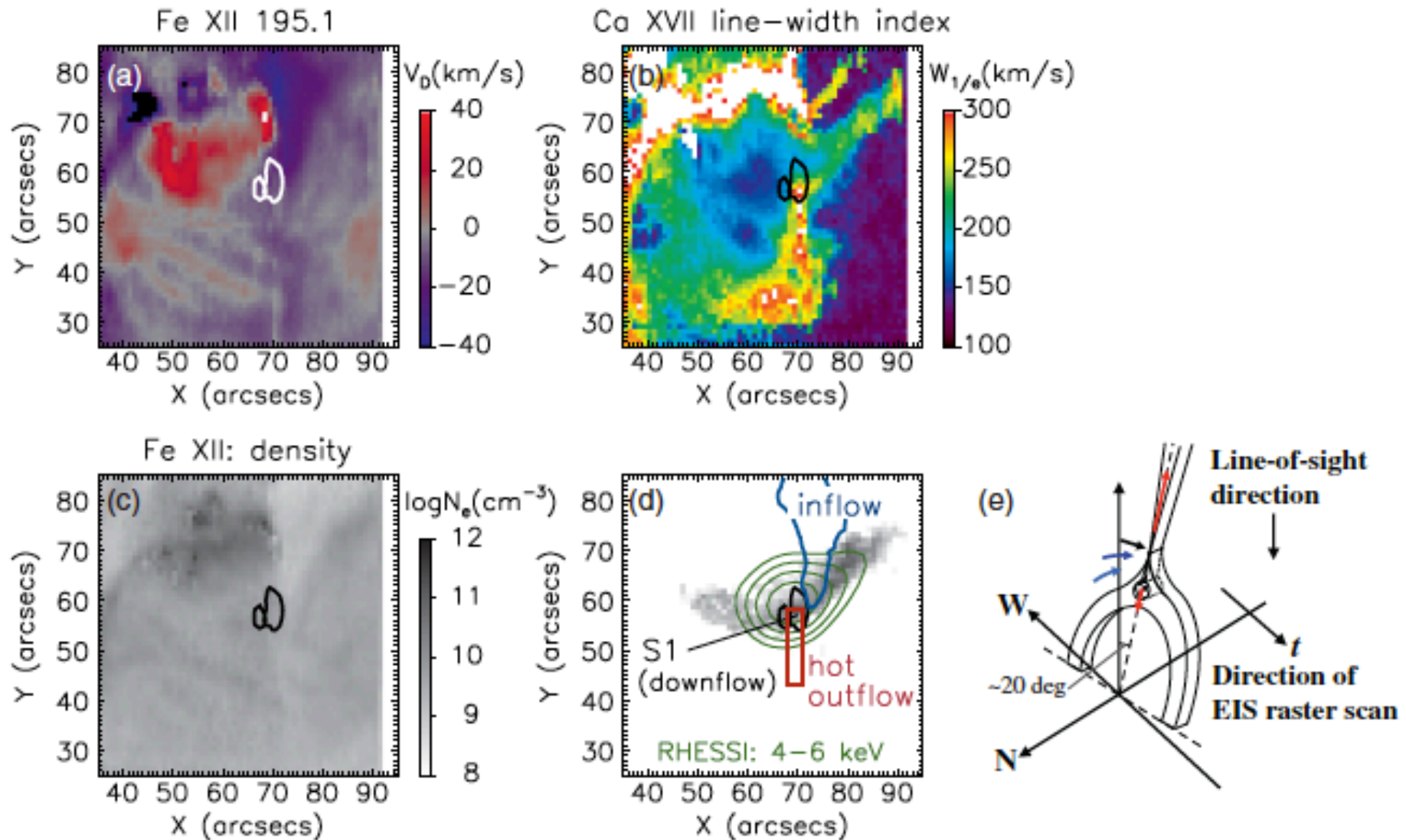


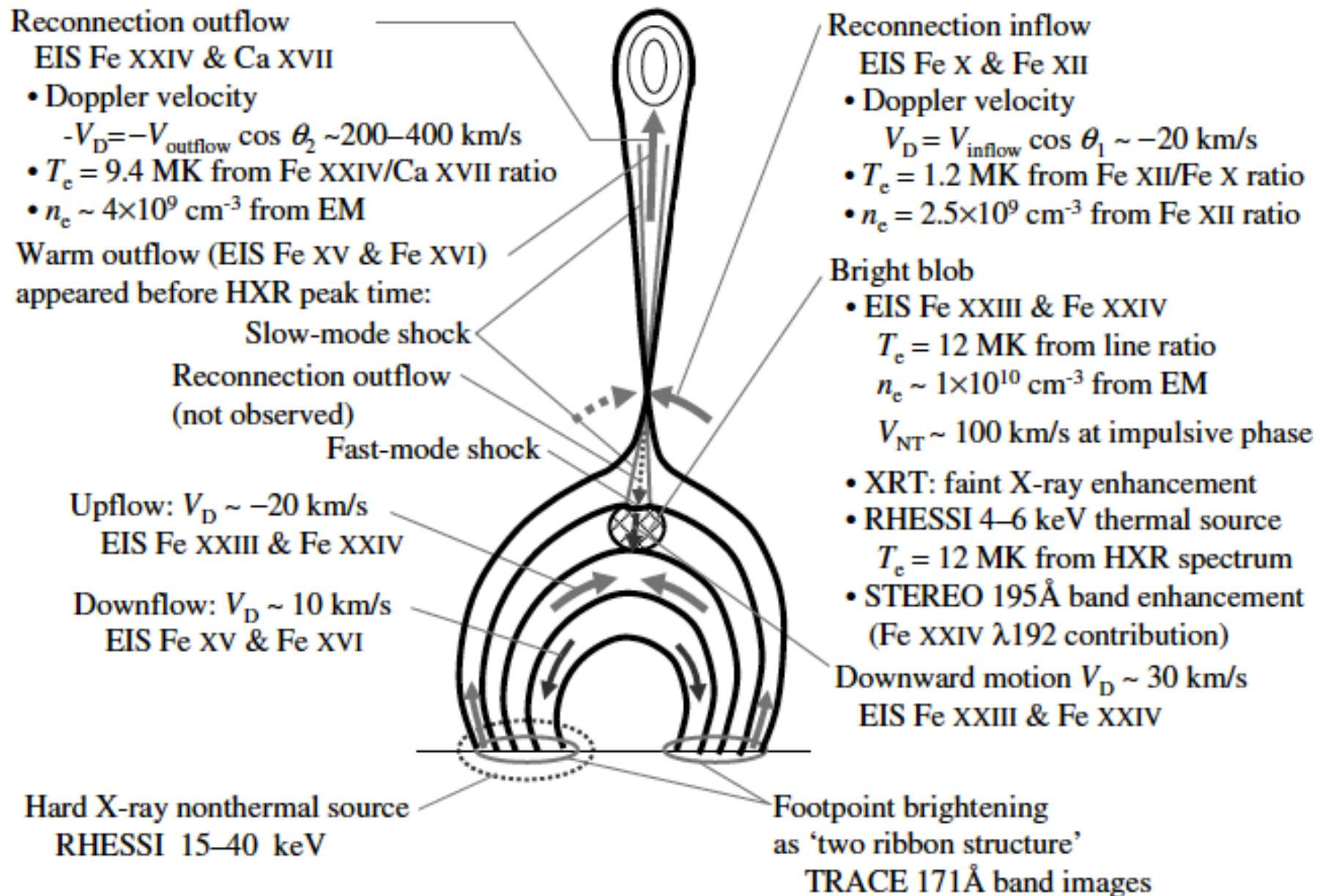
Loop-top HXR source
(Masuda+94)

Inflow
(Yokoyama+01)



Quantification by Hinode/EIS (Hara et al. 2011, ApJ)





What's the problem?

- Fast reconnection required for flares

Reconnection rate $M_A = V_{inflow} / V_A \approx 0.01 - 0.1$

(e.g., Isobe+02,05)

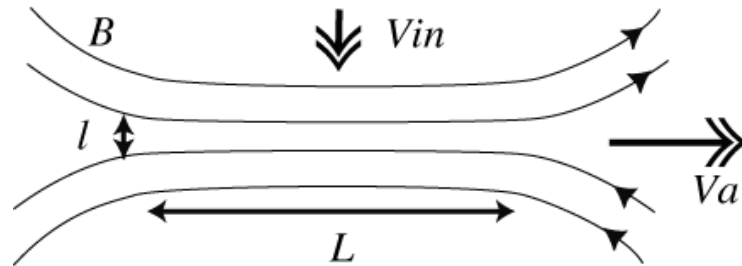
- Extremely small resistivity in corona

Lundquist number $S = \tau_{resistive} / \tau_A = V_A L / \eta \approx 10^{14}$

How to realize fast (independent to S) reconnection?

Classical MHD reconnection models

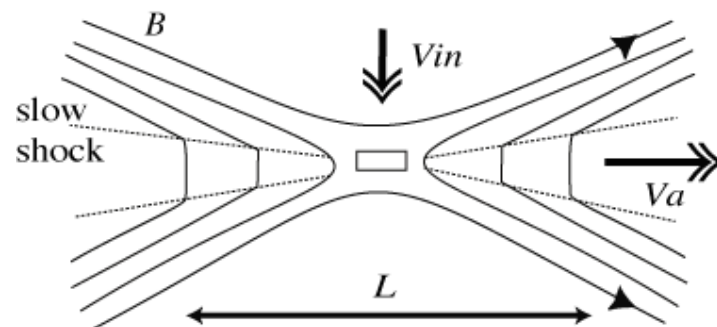
Sweet-Parker reconnection



Uniform resistivity

$M_A = S^{-1/2} \approx 10^{-7}$... too slow

Petschek reconnection



Localized resistivity

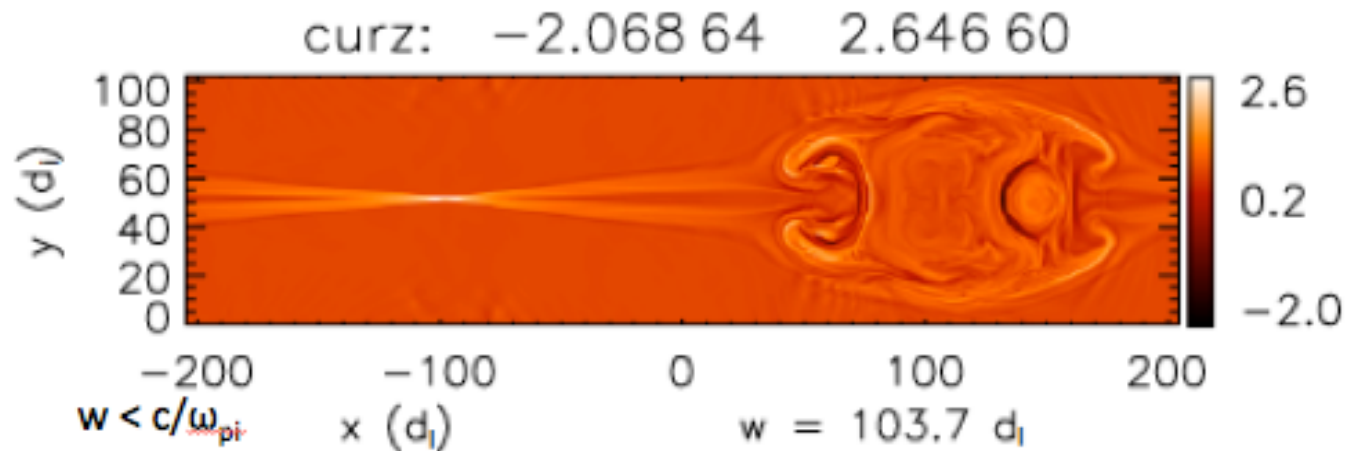
Energy conversion via slow shocks

$M_A = \pi/8 \ln S \approx 0.01-0.1$... OK?

How to localize resistivity? Kinetic effects?

Hall reconnection? but...

- When current sheet becomes thinner than ion inertia length $d_i = c/\omega_{pi}$, Hall effect becomes significant, and fast reconnection (with Petschek-like configuration) is realized.

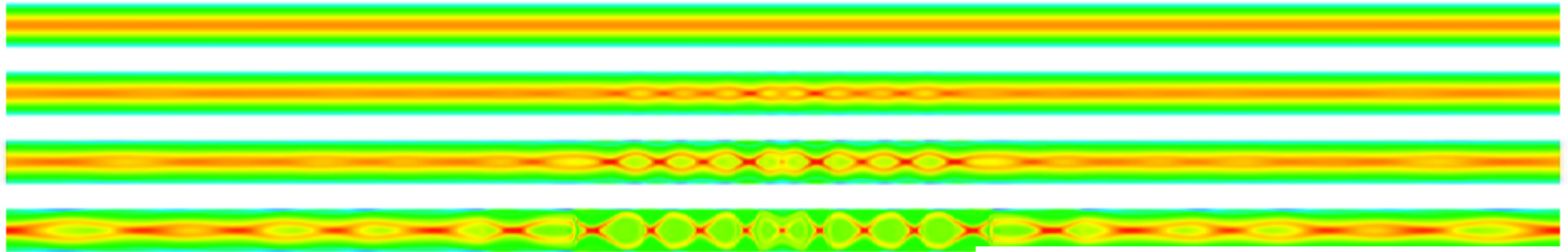


Cassak+05

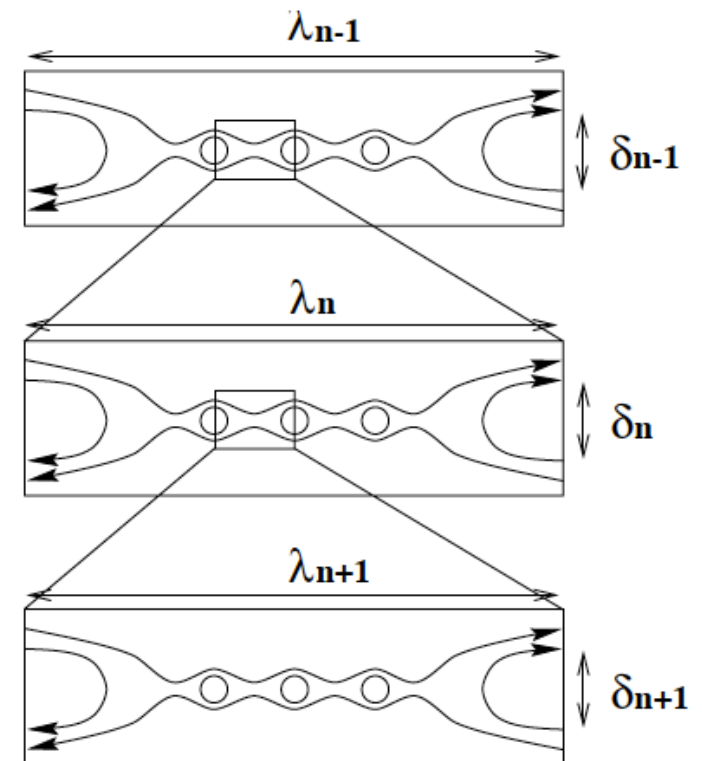
- Ion scale in corona $d_i \sim 10^2$ cm
- Spatial size of flare $L \sim 10^9$ cm
- How to fill the scale gap?

Reconnection with multiple plasmoids/X-lines in High S reconnection

$S=10^7$ simulation by Samataney+09

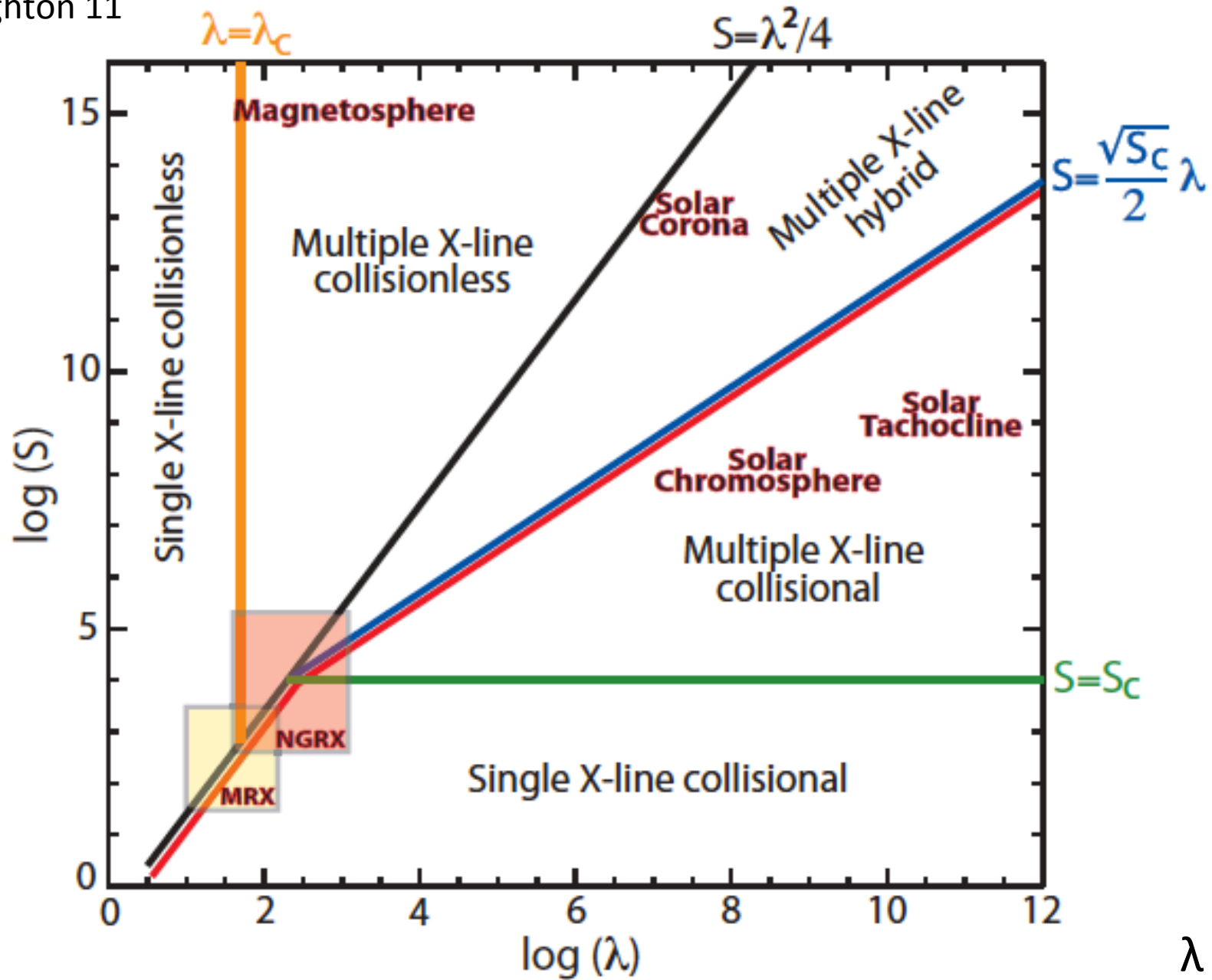


- Multiple islands (plasmoids) by tearing
=> effectively reducing L
=> reconnection faster
- Tearing in reconnecting current sheet
=> further thinning
=> connection to kinetic scales?
- Enhanced reconnection rate with
ejection => inherently intermittent

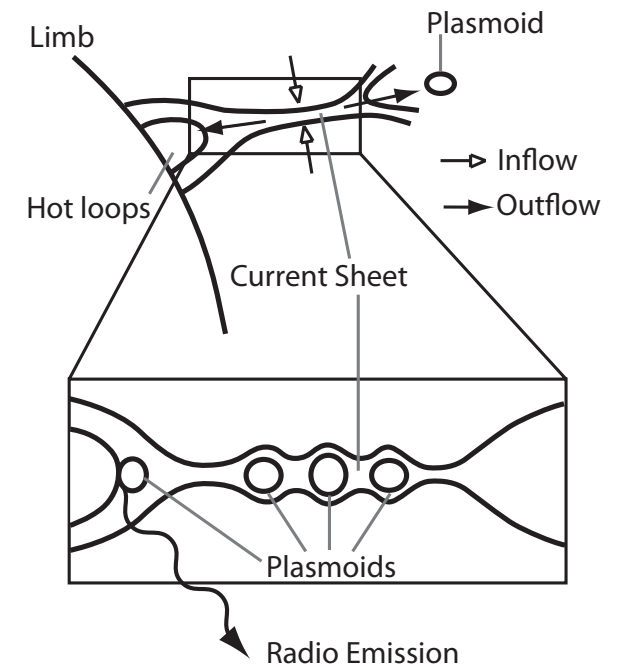
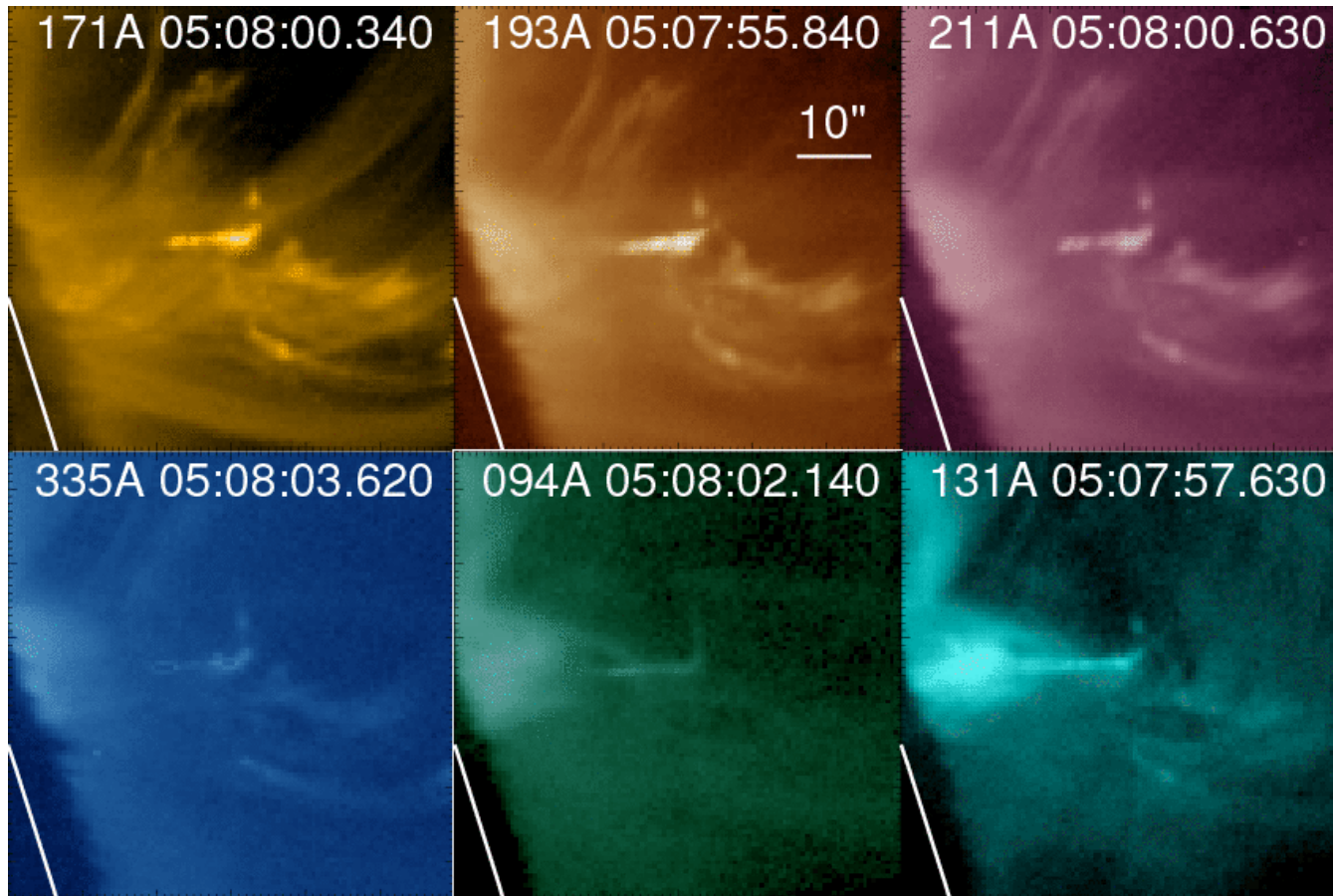


Reconnection type depends on S and system size?

Ji & Daughton 11



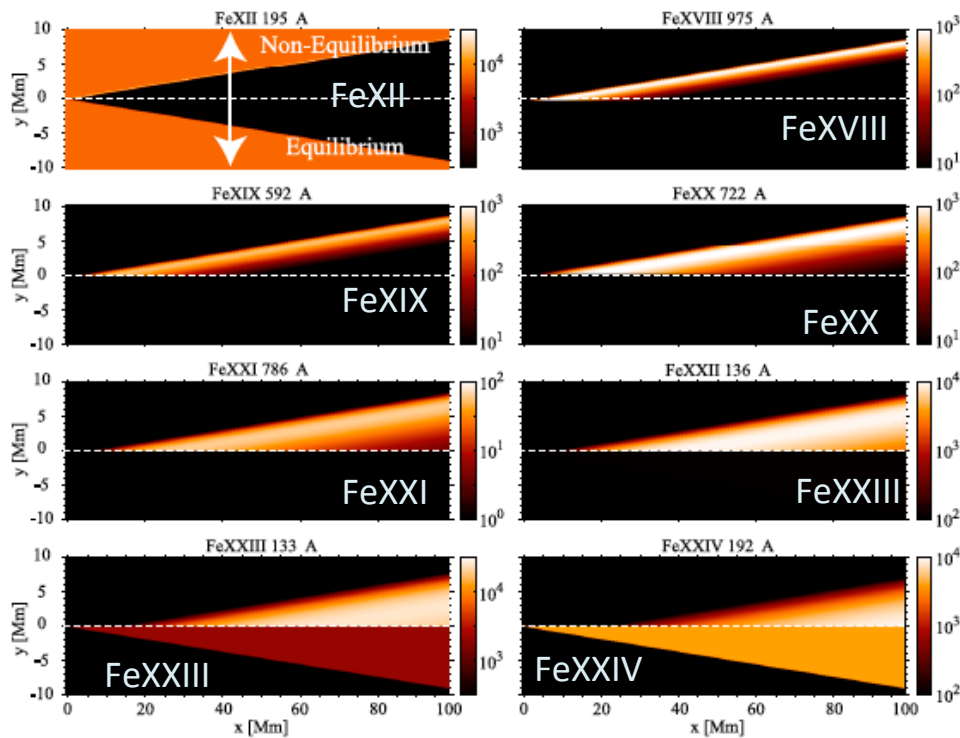
- “Lightening”-like reconnection event observed by SDO/AIA
- Formation, coalescence and ejection of multiple plasma blobs



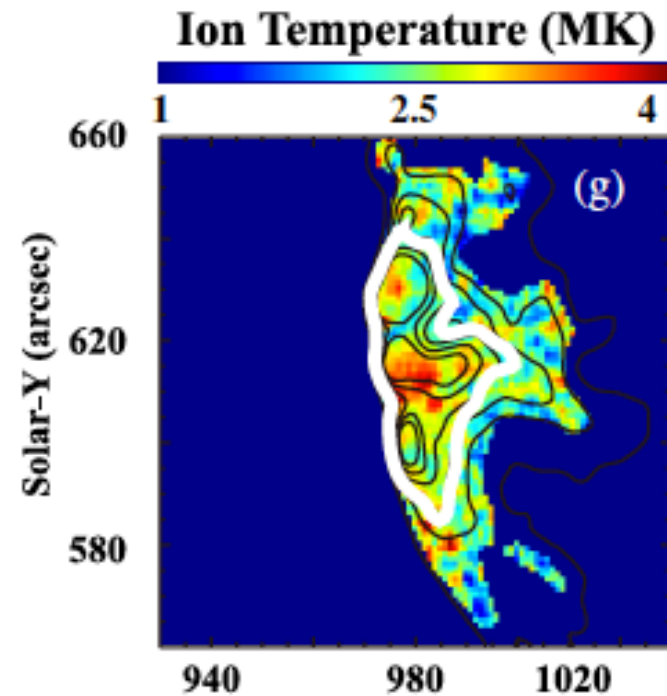
Takasao, Asai, HI, Shibata 2012, ApJ
 See Takasao's (e-)poster

Can we observe non-MHD processes? (kinetic scales are too small to resolve, but...)

Time-dependent ionization
(modeling by Imada+ 11)



Ion temperature of AR
(EIS observation by Imada+ 09)



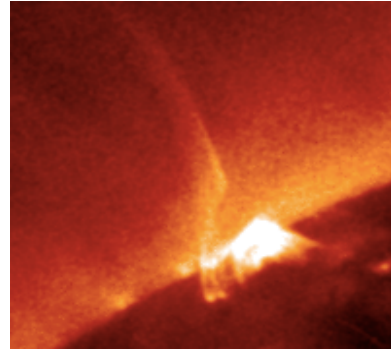
And of course accelerated particles are the consequents of non-MHD processes.

Target of future observations for coronal reconnection

- Role of plasmoids and slow shock
- non-MHD processes
 - non-equil ionization
 - difference of ion and electron temperatures
 - particle acceleration

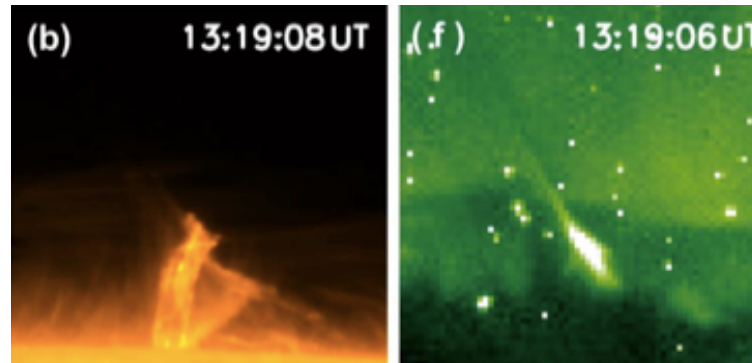
Reconnection + plasma jets at various heights

X-ray jet
~100,000km
(corona)

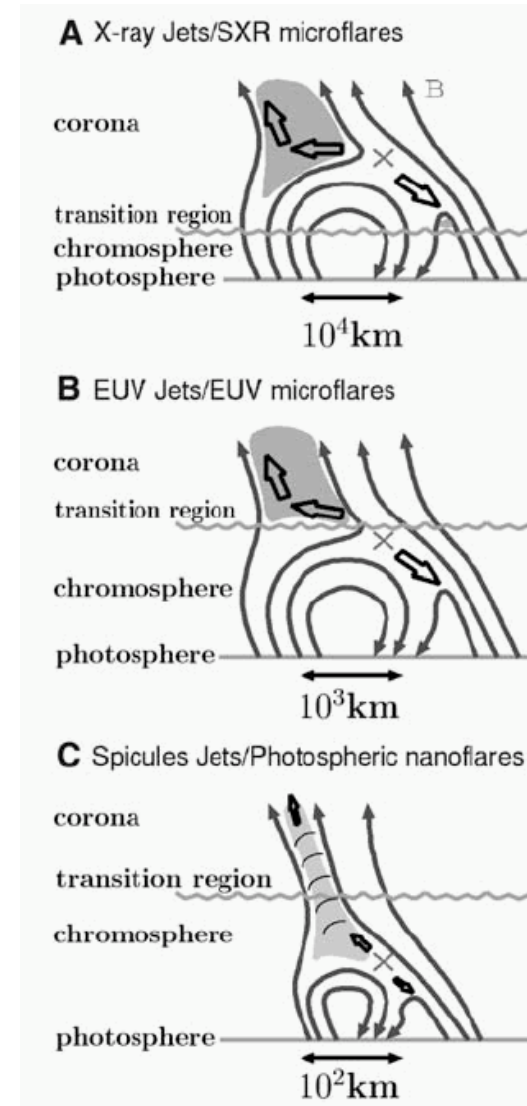
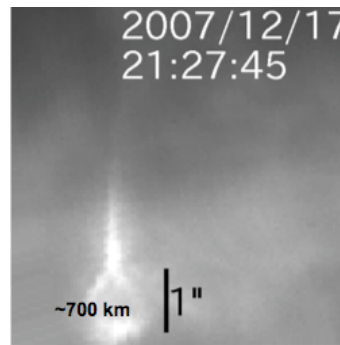


EUV jet ~ 10,000 km
(upper chromo ~
transition region)

Nishizuka+08

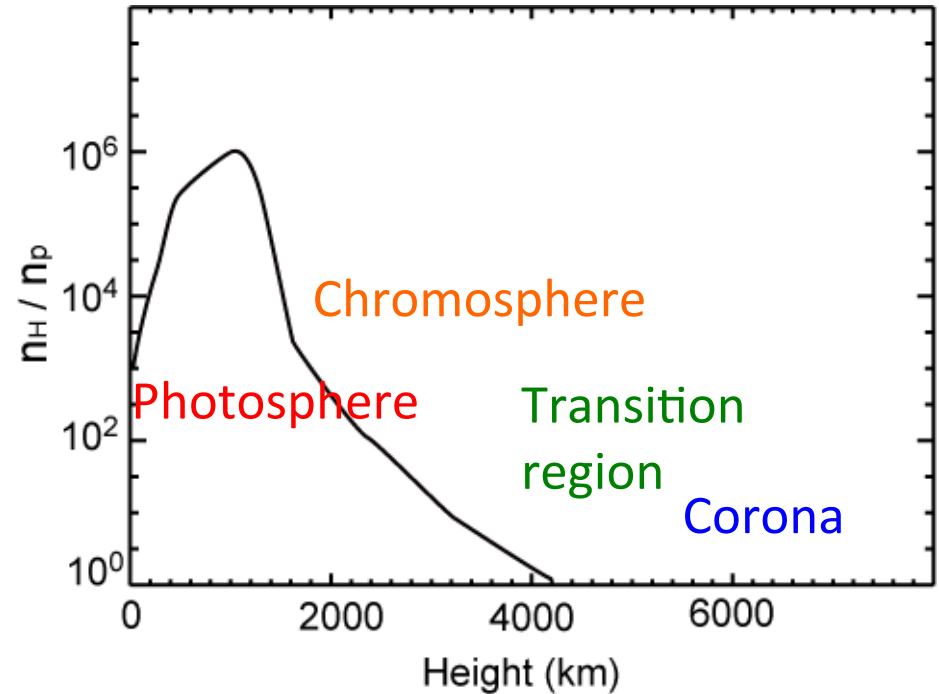
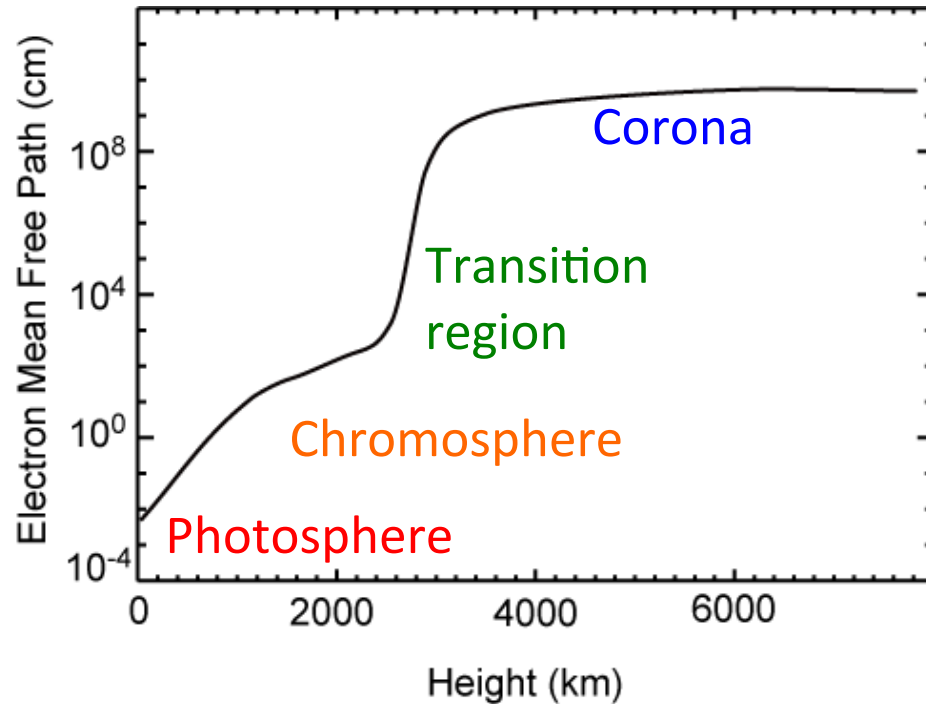


Chromospheric jet
~1000km



Shibata+07

Chromosphere is collisional and partially ionized



- One-fluid MHD is still good for large scale dynamics

$$v_{ni} \rho_n (V_n - V_i) \approx \frac{J \times B}{c}$$

$$V_n - V_i \approx \frac{B^2}{4\pi L v_{ni} \rho_n} \approx 100 \left(\frac{V_A}{10 \text{ km/s}} \right)^2 \left(\frac{L}{100 \text{ km}} \right)^{-1} \left(\frac{v_{ni}}{10^3 \text{ Hz}} \right)^{-1} \text{ cm/s}$$

Neutral effects

$$\frac{\partial B}{\partial t} = \nabla \times \left[\overset{\text{Advection}}{V_n \times B} - \overset{\text{Hall}}{\frac{J \times B}{en_e}} + \overset{\text{Ambipolar}}{\frac{(J \times B) \times B}{c\nu_{ni}\rho_n}} - \overset{\text{Ohmic}}{\eta J} \right]$$

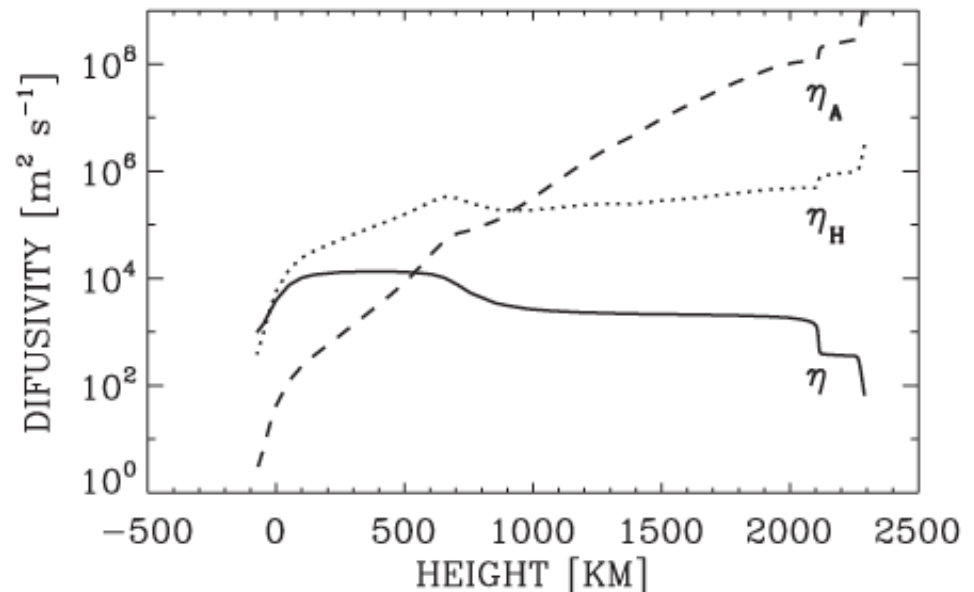
Ambipolar/Hall is important in small scale ... important in reconnection!

$$V_n \times B < \frac{(J \times B) \times B}{c\nu_{ni}\rho_n} \quad \longrightarrow \quad L < \frac{V_{An}\rho_n}{\nu_{in}\rho_i} \approx 1-10 \text{ km}$$

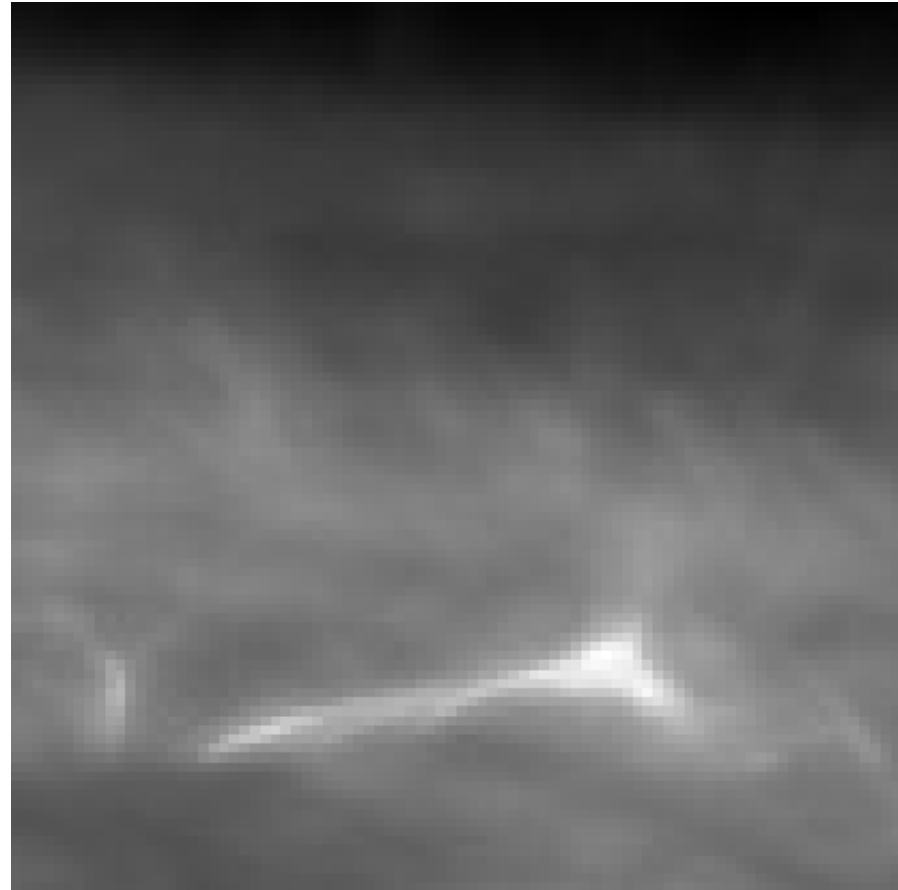
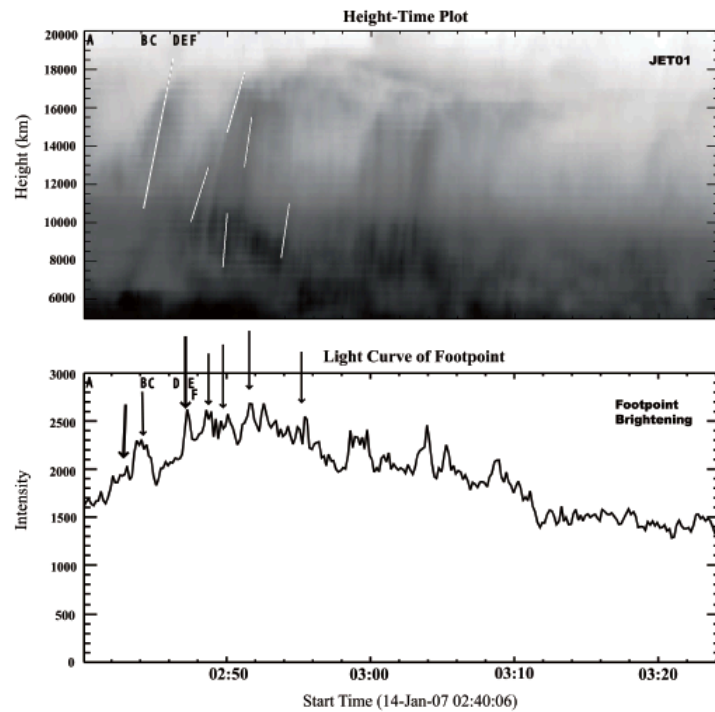
$$\text{Ambipolar/Hall} = \omega_{ci} / \nu_{in}$$

ω_{ci} : Ion-cyclotron freq $\propto B$

ν_{in} : Ion-neutral collision freq $\propto n$



Chromospheric reconnection intermittent and bursty



Singh et al. submitted to ApJ

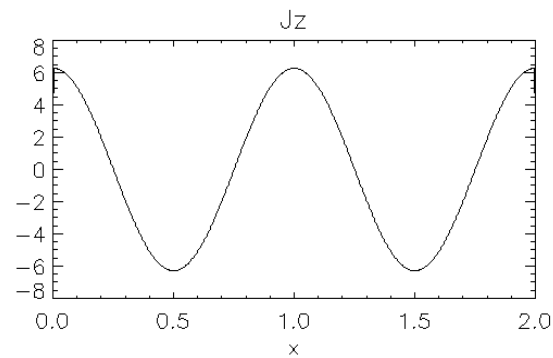
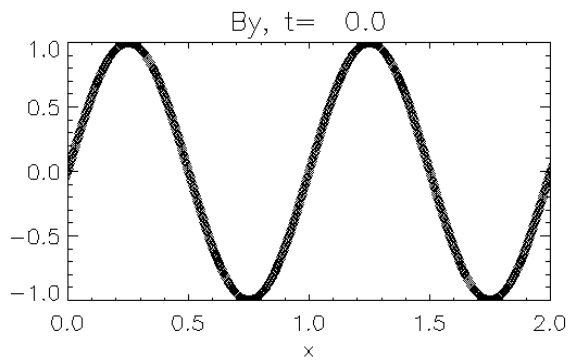
Current sheet thinning by ambipolar diffusion

(Brandenburg & Zweibel 1994)

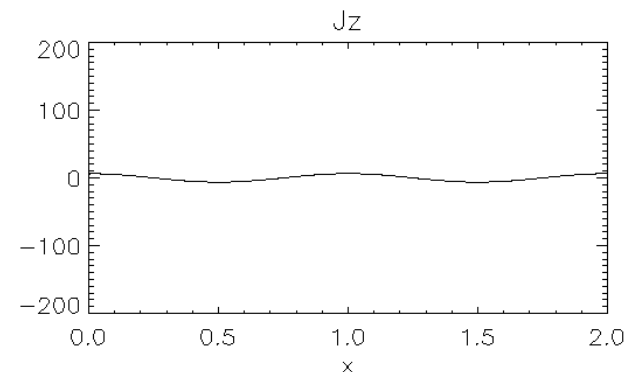
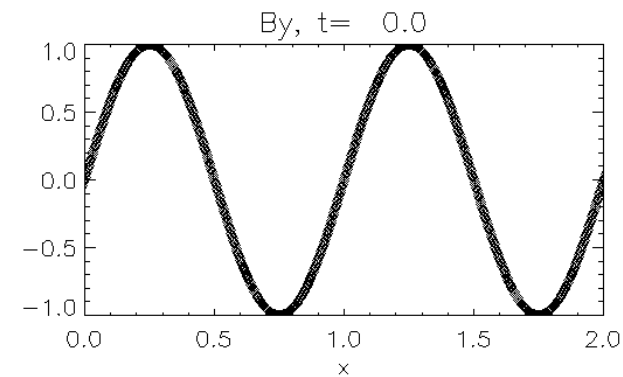
Evolution of sinusoidal field under:

$$\frac{\partial B}{\partial t} = \nabla \times [-\eta J]$$

$$\frac{\partial B}{\partial t} = \nabla \times \left[\frac{(J \times B) \times B}{c\nu_{ni}\rho_n} \right]$$



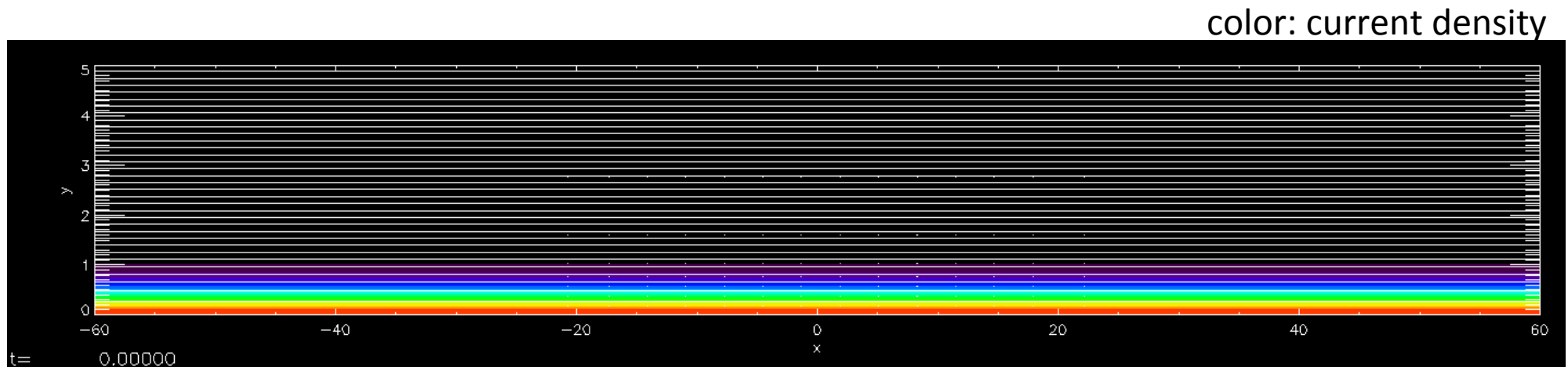
Only resistive diffusion



Only ambipolar diffusion

Effect of non-uniform ambipolar diffusion

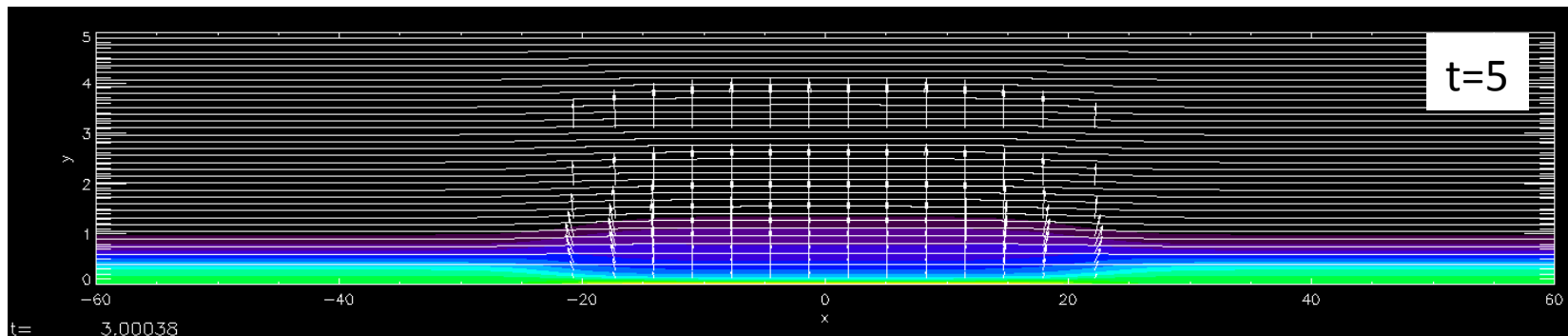
- 2D MHD simulation with uniform resistivity and non-uniform ambipolar diffusion
- No Hall effect, no guide field



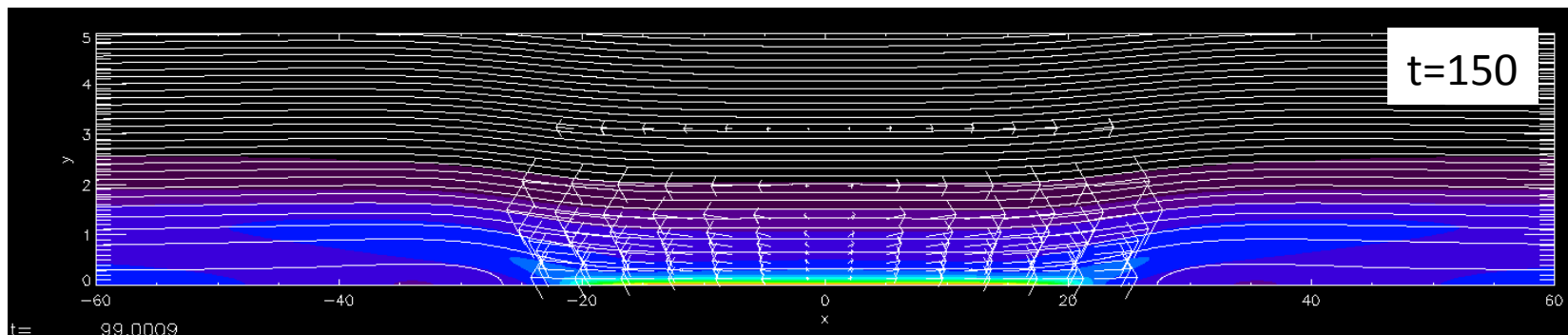
←→
Ambipolar diffusion $\neq 0$

Ambipolar diffusion localized in $x < \pm 20$
Ohmic resistivity is uniform

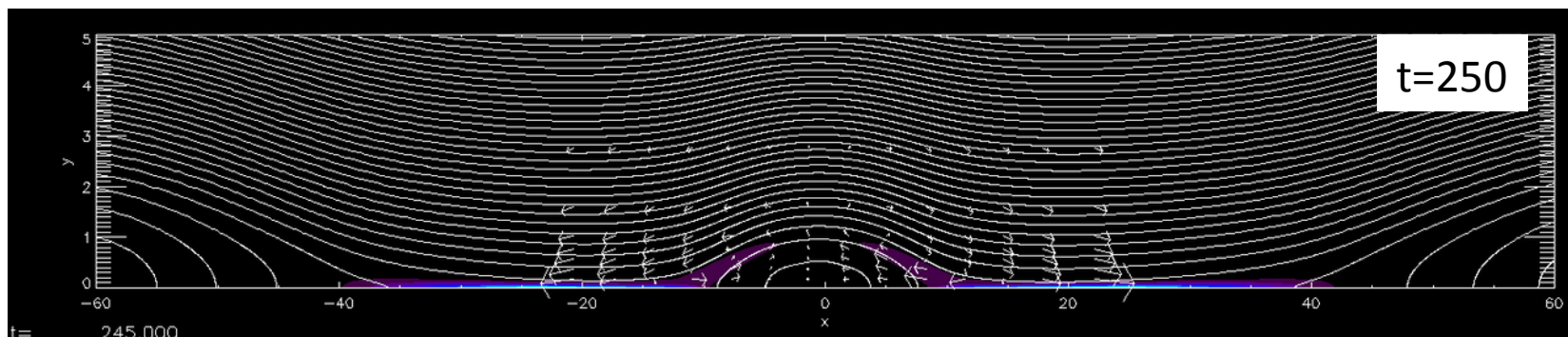
Thinning



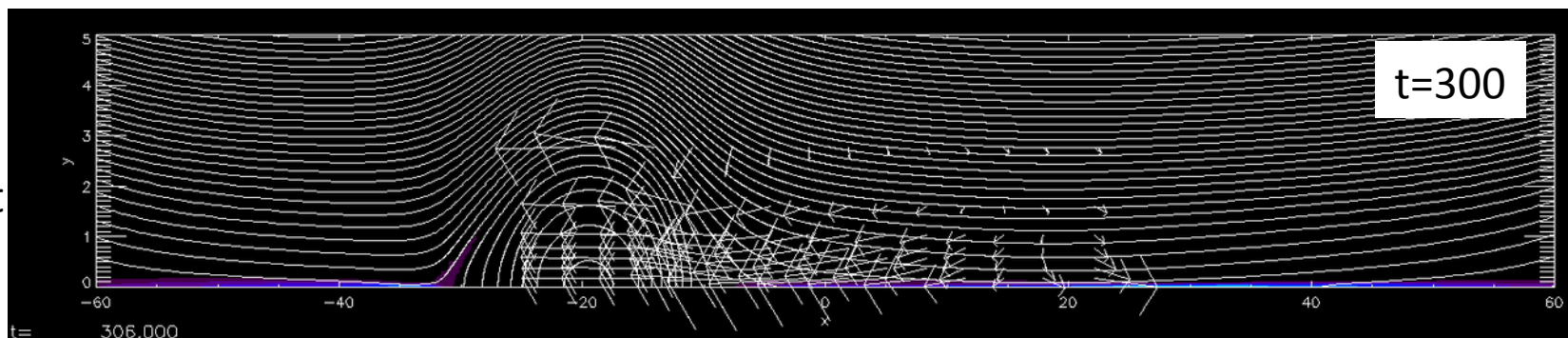
Sweet
-Parker
reconnection

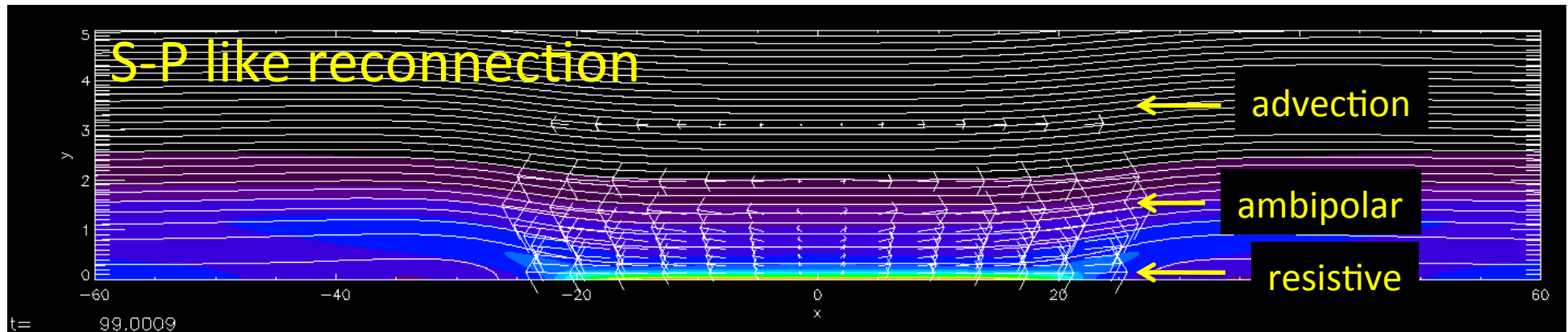


Tearing and
island
formation



Island ejection
and time-
dependent fast
reconnection



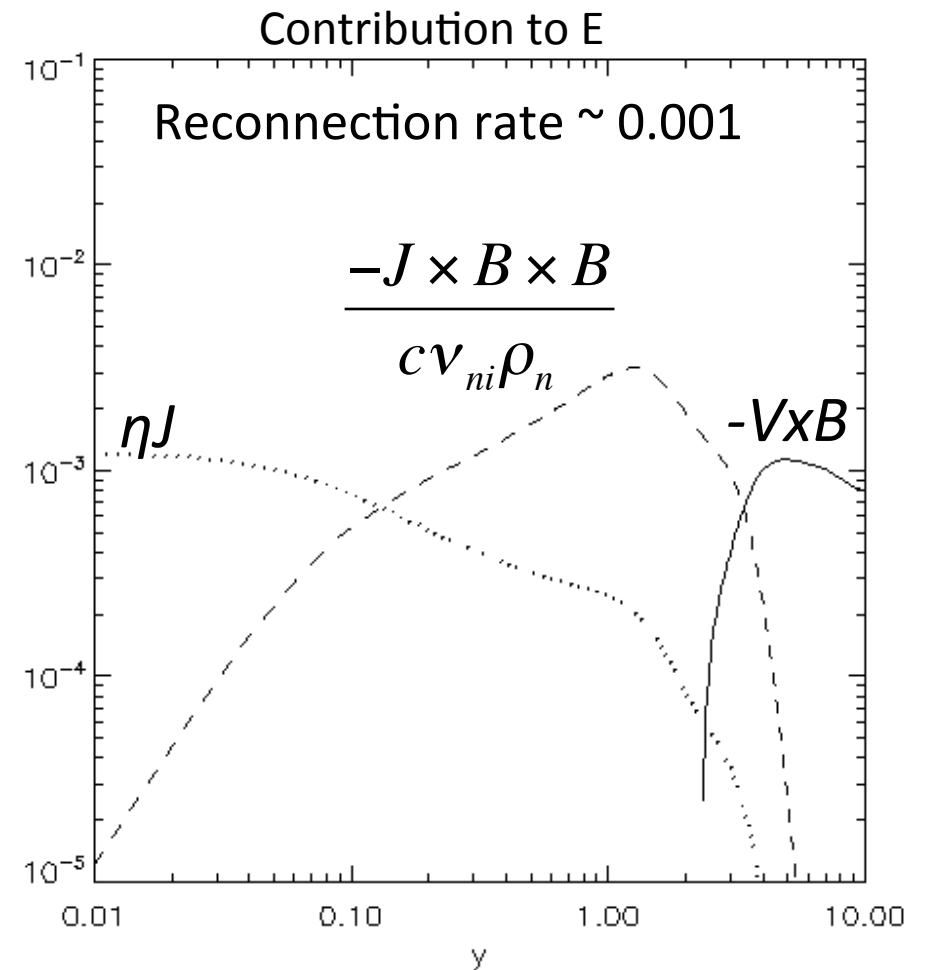


In Sweet-Paker-like stage, the reconnection region consists of **3 layers**:

- resistive-dominant inner current sheet
- ambipolar-dominant outer current sheet
- advection-dominant inflow region

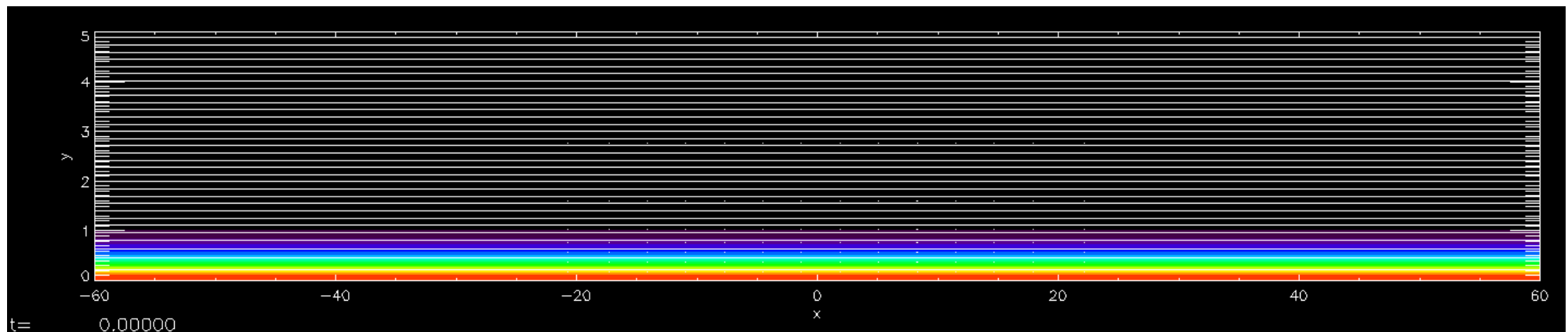
Ambipolar diffusion causes plasma heating
 \Rightarrow outflow driven by gas-pressure gradient from the ambipolar layer

Note: two-fluid treatment is necessary to quantitatively address the (ion-dominant) outflow from resistive layer

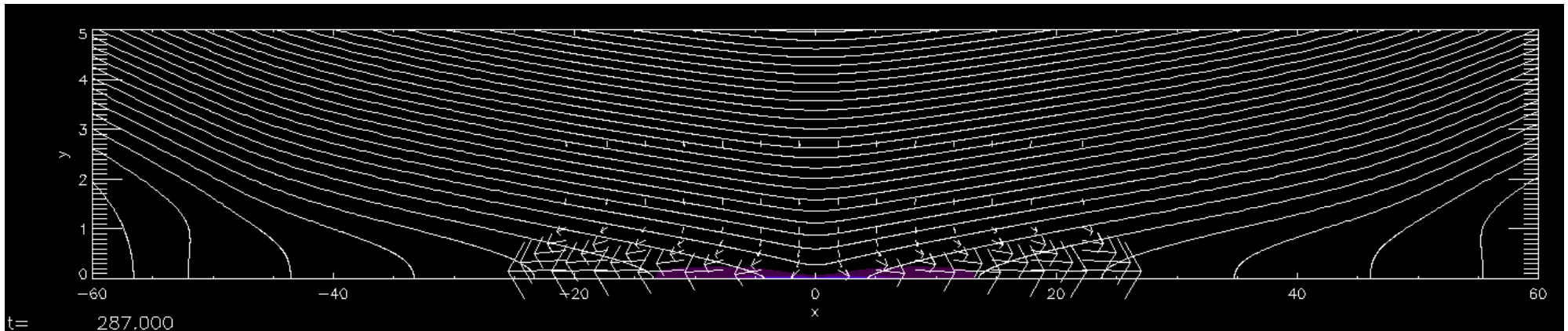


Petschek-like regime

color: current density

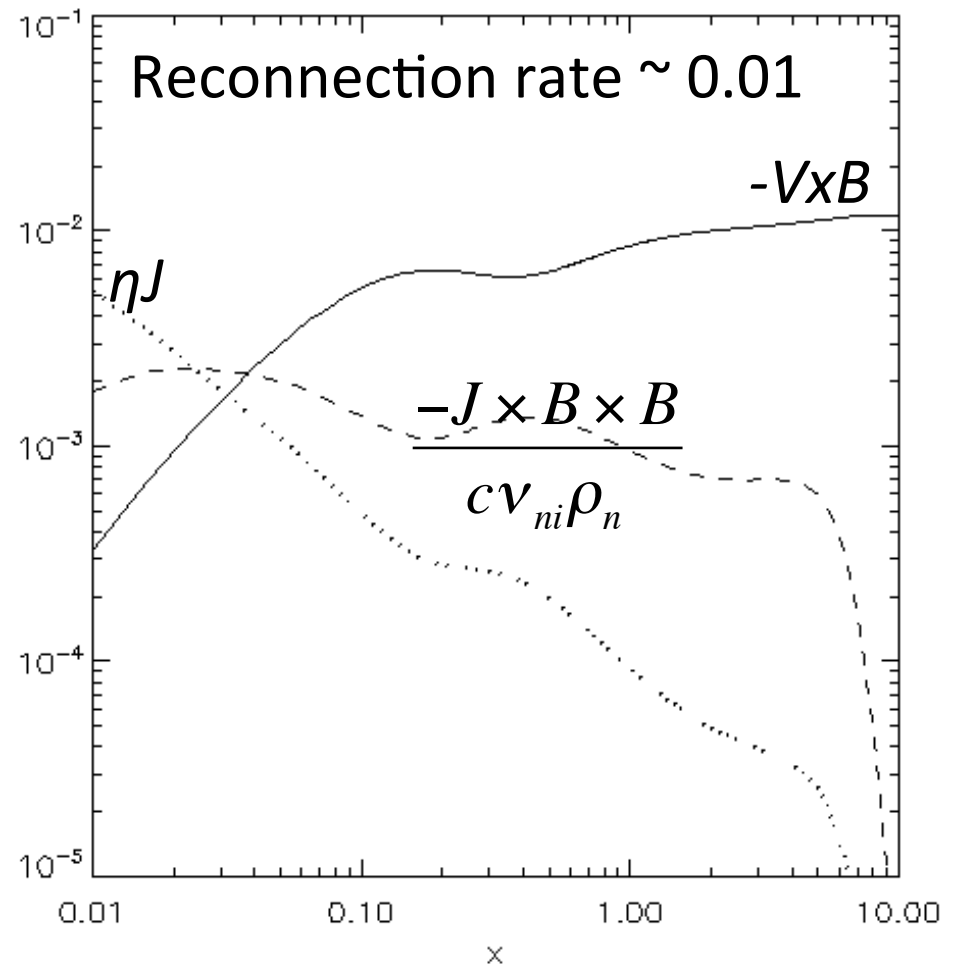


Ambipolar diffusion uniform + enhanced in $x < \pm 2$
Uniform resistivity



Even though the resistivity is uniform, the localization of ambipolar diffusion causes local thinning of the current sheet, leading to Petschek-like fast reconnection

The “ambipolar layer” almost disappears.



Can low atmospheric reconnection produces tall jets?

Available magnetic energy $B^2/8\pi \approx \rho gh$ (potential energy)

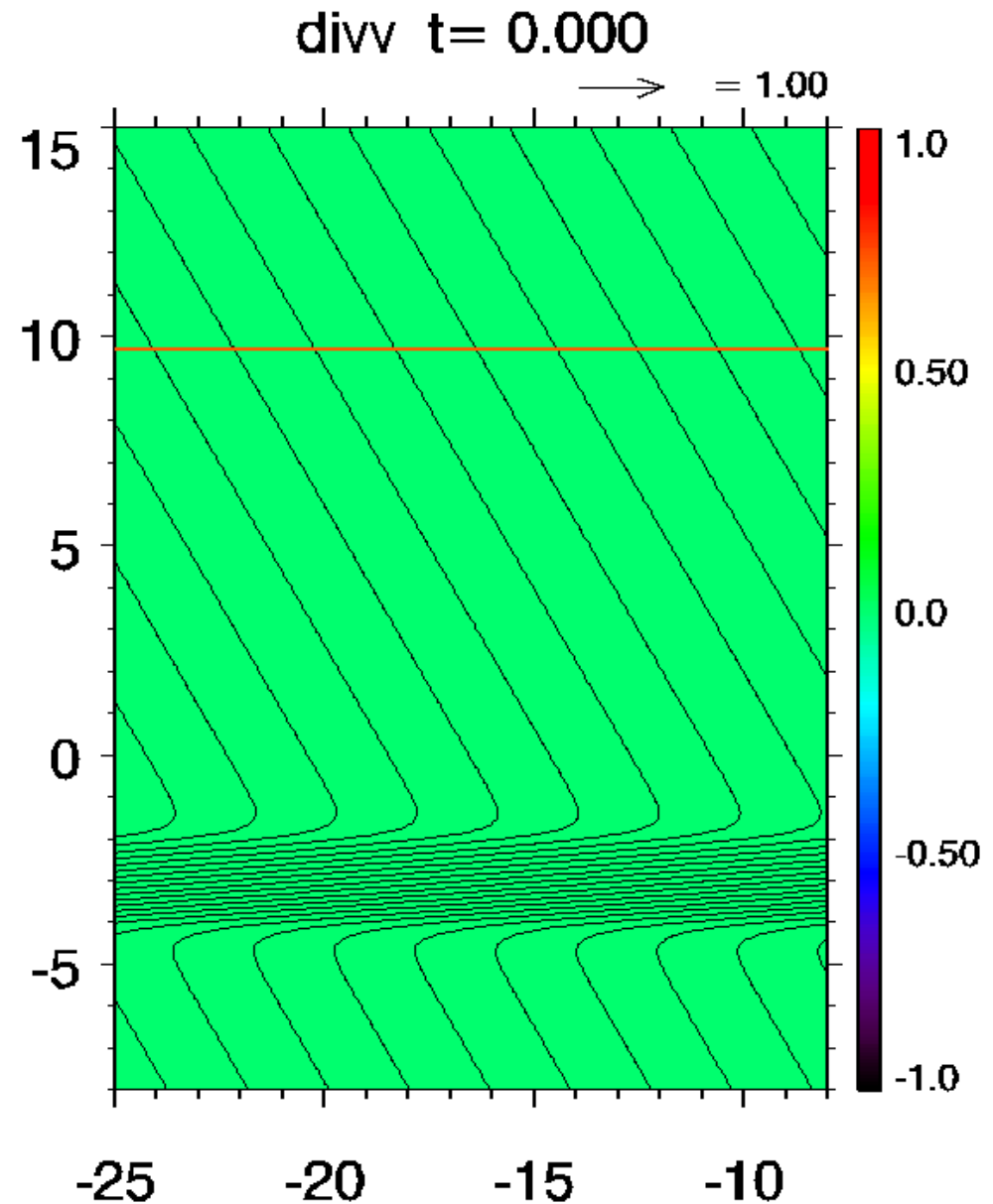
$$\Rightarrow h \approx (B^2/8\pi) / \rho g$$

$$\approx (B^2/8\pi) / \rho RT * (RT/g)$$

$$= H/\beta \quad (H: \text{scale height}, \beta: \text{plasma beta})$$

- If $\beta \approx 1$, reconnection jet (or any magnetic driver) can ascend only $H \approx 300$ km.
- Needs a clever way to accelerate only a fraction plasma.

- Photospheric reconnection
- Upward slow mode wave
- Develop into shock due to stratification
- Hit transition region => jet



For Hinode/SDO/IRIS and beyond

- Role of plasmoids and slow shocks
- Diagnostics of non-MHD processes
- Reconnection in partially ionized, collisional plasma
 - also important in molecular clouds and protoplanetary disks
 - ALMA may get close to diffusion scale ($\sim 10\text{km}$) in chromospheric reconnection! (See Shimojo's poster)